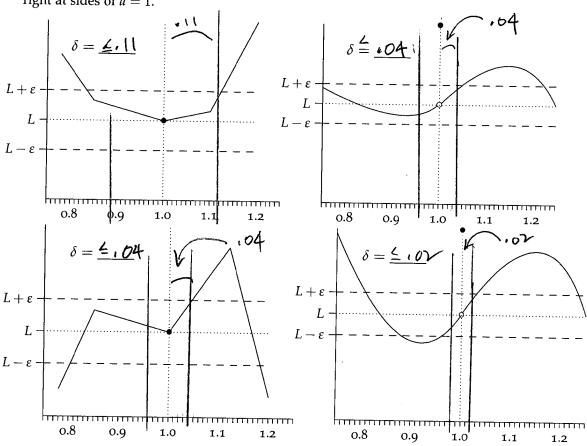
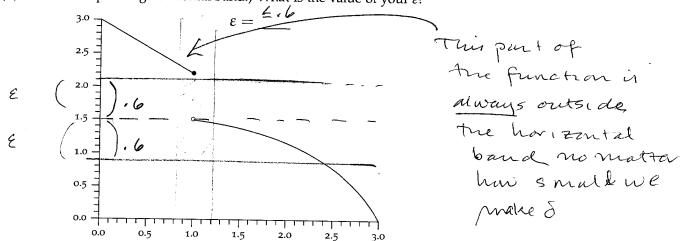
The Stuff You Need to Turn In Next Class. Name(s):

You should work with one partner if at all possible. If you do, hand in one sheet for both of you. Also remember: WeBWorK Set Dayo8 due Monday night.

1. In each figure, for the given choice of ε , find and **draw** a δ interval (a vertical strip) about a=1 which satisfies the limit definition. What is δ in each case? Note the scale. Note: In each figure, the same δ must work on both the left and right at sides of a=1.



2. For the function f(x) below, show that that 1.5 is **not** $\lim_{x\to 1} f(x)$. To do this, **find and draw** a horizontal ε interval about y=1.5 for which there is **no** value of δ that will satisfy the limit definition. (For your value of ε , you can never trap f(x) in the corresponding horizontal band.) What is the value of your ε ?



3. (a) With your partner use the formal definition of limit to prove the following:

$$\lim_{x \to 10} 6x - 7 = 53.$$

Use the same type of careful argument that we made in class today with absolute values, ε , and δ . See Example 6.1.8.

Find 870. a=10, L=53, f(x)=6x-7. Given 870. SCRAP WORK:

wark backwards to 1x-al=1x-101

$$|f(x)-L| \le \frac{\text{translate}}{|6x-7|-53| \le}$$

$$\frac{\text{5 unplify}}{|6x-60| \le}$$

$$\frac{\text{Fuctor}}{|x-10| \le |6|}$$

$$|x-10| \le |6|$$

Let £70 be given. Choose &= E/6

+f 04 x-10/2 = 16 then

(fex)-Ll= \((6x-53)-7\ = \(6x-60\) = 6\(x-10\) < 6. \(\frac{\xi}{6}=\xi.

So if O(1x-10)< 2/6, then \((6x-7)-53)< &

- (b) Suppose I told you that $\varepsilon'=0.06$. Use your work above to tell me what δ I should use.
- S= 2/, 2=0,06 8=0.06/6=.01
- (c) Suppose I told you that $\varepsilon'=0.0003$. Use your work above to tell me what δ I should use.