

Math 131 Homework: Day 10

My Office Hours: M & W 12:30–2:00, Tu 2:30–4:00, & F 1:15–2:30 or by appointment. **Math Intern** Sun: 12–6pm; M 3–10pm; Tu 2–6, 7–1pm; W and Th: 5–10 pm in Lansing 310. Website: <http://math.hws.edu/~mitchell/Math131S13/index.html>.

☕ Practice

1. a) Read Section 6.1 on velocity and displacement and net change in general. Review Section 5.5 on Substitution. Review the **notes on substitution on line**. There are lots of examples.
- b) 📖 **Practice:** You gotta' practice a lot of substitution problems to get comfortable with them. Previously assigned: Page 363ff #9–23 odd, 27. New problems: Page 363ff #25, 29 and 31 (these last two are very good). Some definite integrals: #35, 39, 41, 59, 63, 65 and 67. Review exercises: Page 367 #21, 25, and 27. **See the practice on the back.**

WeBWorkK: Set Day10 due Sunday evening. Start early (long set). WeBWorkK set Day09 due Thursday at noon.

Lab Ticket: Hand in at Lab on Thursday. Name: _____

Use this sheet. **Be very neat so that I can grade them quickly and get them back to you in Lab.**

1. Determine $\int \frac{\sqrt{\ln t}}{t} dt$.

2. Determine $\int (x + 2) \tan(x^2 + 4x) dx$.

3. Determine $\int \frac{x^2}{1 + 4x^6} dx$

4. Hint: See today's online notes page 11. Determine $\int_0^4 x\sqrt{2x+1} dx$.

Practice: Starting Integration Problems

By the end of the day, you will be able to do each of these integrals. Some are simple, others require ‘adjusting’, still others require u -substitution which gets progressively more complicated. Similar looking problems can have very different answers.

Integral	Method	If u -sub, then $u = ?$ and $du = ?$
$\int (3x + 2)(6x^2 + 8x)^5 dx$		
$\int \frac{1}{5\sqrt[4]{x^3}} dx$		
$\int \sec^2(3x) dx$		
$\int \sec(3x) dx$		
$\int \sin(\cos x) \sin x dx$		
$\int \frac{\ln x}{x} dx$		
$\int \frac{2}{x \ln x} dx$		
$\int \frac{4}{1 + x^2} dx$		
$\int \frac{4x}{1 + x^2} dx$		
$\int \frac{1}{1 + 4x^2} dx$		
$\int \frac{1 + x^2}{4x} dx$		
$\int \sqrt{4t - 1} dt$		
$\int \frac{t}{\sqrt{1 - 4t^2}} dt$		
$\int \frac{1}{\sqrt{1 - 4t^2}} dt$		
$\int \frac{1 + 4t^6}{t^2} dt$		
$\int \frac{t^2}{1 + 4t^6} dt$		
$\int \frac{t^3}{1 + 4t^4} dt$		
$\int \frac{t}{1 + 4t^4} dt$		
$\int t\sqrt{4 - t} dt$		