Math 131 Day 27

My Office Hours: M & W 12:30-2:00, Tu 2:30-4:00, & F 1:15-2:30 or by appointment. Math Intern Sun: 12-6pm; M 3-10pm; Tu 2-6, 7-1pm; W and Th: 5-10 pm in Lansing 310. Website: http://math.hws.edu/~mitchell/Math131S13/ index.html.

Practice

- 1. Review L'Hopital's Rule in Section 4.7 and the online notes. More interesting ones have the form $0 \cdot \infty, 0^0$, ∞^0 , 1^{∞} , and $\infty - \infty$.
 - a) Read all of 7.7 on improper integrals which we continue to discuss next time.
- 2. a) Suggested last time. Try page 576ff #3, 5, 9-15 (odd), 19-29 (odd), 33 (does l'Hopital's rule apply?), 35.
 - b) Interesting ones of the form $0 \cdot \infty$, 0^0 , ∞^0 , 1^∞ , and $\infty \infty$. Page 290–291 #31, 33, 37, 39, 45, 47.

Hand

These should be quick. Some are WeBWorK problems. Potential answers: $k, k^2, 0, 1, 2, 1/2, 1/4, \ln 2, \ln 3, e^2$, e^{-2} , diverges, e.

- 0. Start WeBWork Day27—many of these are the same as the hand in problems—and finish Day26.
- 1. Evaluate these limits using L'Hôpital's Rule when appropriate. In part (b), k is a non-zero constant. Use correct limit notation.

a)
$$\lim_{x\to 0^+} x^2 \ln x$$
 WeBWorK

b)
$$\lim_{x\to\infty} x \tan(\frac{1}{x})$$
 WeBWorK

a)
$$\lim_{x\to 0^+} x^2 \ln x$$
 WeBWorK b) $\lim_{x\to \infty} x \tan(\frac{1}{x})$ WeBWorK c) $\lim_{x\to \infty} \left(1-\frac{2}{x}\right)^x$ WeBWorK d) $\lim_{x\to 0} \frac{\sin kx}{\arcsin x}$ e) $\lim_{x\to 0^+} x^{3x}$ WeBWorK f) $\lim_{x\to \infty} \ln(2x-2) - \ln(x+7)$ WeBWorK

$$\mathbf{d)} \lim_{x \to 0} \frac{\sin kx}{\arcsin x}$$

e)
$$\lim_{x\to 0^+} x^{3x}$$
 WeBWorK

f)
$$\lim_{x\to\infty} \ln(2x-2) - \ln(x+7)$$
 WeBWorK

- 2. Page 510 #6. Use correct limit notation. Similar to a WeBWorK problem.
- 3. Page 510 #8. Use correct limit notation. Similar to a WeBWorK problem.
- **4.** Determine $\int_{0}^{\infty} 2xe^{-x^2} dx$. Use correct limit notation.
- **5.** Page 510 #16. Use correct limit notation.
- **6.** BONUS: Determine $\lim_{x \to a} (\tan x)^x$. Hint: Use the "log process." After applying L'Hôpital's Rule the first time, simplify and apply again. (Also a WeBWorK problem.)