# MATH 2001 STATEMENTS AND NEGATION 

Exercise 1. Prove that $\overline{A \cup B}=\bar{A} \cap \bar{B}$.

Exercise 2. Prove that $\overline{A \cap B}=\bar{A} \cup \bar{B}$. (This is proof 7 in the proof portfolio.)

Exercise 3. Let $A_{y}=[-1-y, 1+y]$. Prove that $\bigcap_{\substack{y \geq 0, y \in \mathbb{R}}} A_{y}=[-1,1]$.

Exercise 4. Let $A_{y}=(-y, y) \subseteq \mathbb{R}\left(A_{y}\right.$ is an open interval). What is $\bigcap_{y>0} A_{y}$ ? Prove your claim.

## Upcoming deadlines:

- Due Friday, Mar 4: final draft of proof 4, first draft of proof 7.
- Due Monday Mar 7: final draft of proof 5 , final draft of proof 6 .

As the number of proofs are piling up, from proof 6 onwards, I will only be giving one round of comments before final copies are due.

